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Design and analysis of a scooping engine valve

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ABSTRACT

Inlet valve in an engine tends to be subjected to immense thermal loads besides chemical corrosion. Opening and closing of inlet valve practically could be in the order of 2000 times per 1.6 km. In the mean time of engine working cycle, seat insert of the inlet valve is the surface, against which an intake valve seats. Conventional engine valves are provided with a curved angle for its seating position, but for this study, the same is proposed to be positioned at a tapered angle. This tapered position as converted into radius in order to permit rich air at the inlet and reduce exhaust emission. This study is to investigate the nature of the future redesigned Scooping valve for a 1.25L 4-cylinder Petrol engine with VTVT (Variable Timing and Valve Train) under combined mechanical and thermal loading cycle by feeding the input conditions for this study after NX-CAD modelling in ANSYS 10.0 software and the numerical results thus obtained are recorded for future valve design considerations.

ARTICLE HISTORY

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KEYWORDS

Scooping valve; NX-CAD; ANSYS 10.0; inlet valve

1. Introduction

The inlet valve along with the seat insert is a component that is located in the cylinder head. Both works in a similar environment and also have a close relationship since both of them have to control the inflow of working fluid inside the internal combustion engine. They are intended to seal the combustion chamber against the manifold. Inlet valve is one of the precision engine components which is used to allow the working fluid into the cylinder (Weller 1993). Therefore, the inlet valve is exposed to severe thermal loads and chemical corrosion. It is a critical component so as to ensure complete sealing of the combustion chamber such that the required pressure during compression and an environment for ignition is generated inside the cylinder. Generally, the material for manufacturing inlet valve and inlet valve seat insert have properties that could withstand high operating temperature conditions throughout the functioning of the engine and exhibit resistance against corrosion from their surrounding environment in which they are to be exposed (Leskovsek 1996; Neumeier 2008). Processes involved in manufacturing these components also need high dimensional accuracy and quality heat treatment owing to severe thermal and mechanical loads (Lucchini et al. 2009). The engine valve is made up of medium carbon steel and 5 mm radius scooping position of is obtained through the EDM process.

The following data are observed from the four-stroke petrol engine:

Bore, $B=0.08\,\mathrm{m}$ Indicated pressure, $P_\mathrm{m}=4\,\mathrm{MN/m^2}$ Bending stress, $\sigma_\mathrm{b}=46\,\mathrm{MN/m^2}$ Modulus of rigidity =0.48Angle of taper, $\Theta=30^\circ$ Thickness of valve head, $T=\mathrm{k.\,d}\,(\sqrt{\mathrm{P}/\,\sigma_\mathrm{b}})$

$$T = 0.48 \times 0.080 \text{x} \sqrt{(4/46)}$$

 $T = 0.011 \text{ m}$

where

k = Modulus of rigidity

d = diameter of the piston

P = pressure of the engine valve

 $\sigma_{\rm b} = {\rm bending \, stress}$

Diameter of the stem =

Diameter of the piston/(0.08 + 6.35) m

$$= 0.08/(8+6.35)$$

= 0.1635 m

Maximum lift of the valve (h) = diameter of the piston/ $4 \times \cos\Theta$

where

 $\Theta = \text{ angle of contact of engine valve}$

 $h = 0.080/4 \cos 30$

h = 0.023 m

1.1. Governing equations

Numerical analysis of the valve requires moving boundaries of the solution domain. When the mesh has moving boundaries the integral form of the conservation equation for a tensorial property, ϕ defined per unit mass in an arbitrary moving volume, V bounded by a closed surface, S (Figures 1–3).

$$\frac{\mathrm{d}}{\mathrm{d}t} \int_{V} \rho \varphi \mathrm{d}V + \int_{S} \mathrm{d}S.\rho \varphi (u - u_{b}) = -\oint_{S} \mathrm{d}S.\rho q_{\varphi} + \int_{V} S_{\varphi} \mathrm{d}V,$$

where p is the density, u is the fluid velocity, u_b is the boundary velocity and q_{ϕ} and S_{ϕ} are the surface and volume sources/sinks of ϕ , respectively (Dahlen 2002; Jasak 2006).

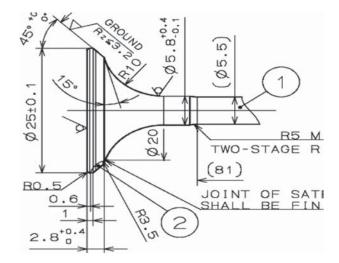


Figure 1. Inlet valve without scooping.

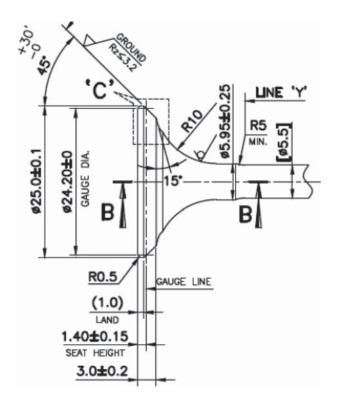


Figure 2. Inlet valve with scooping.

Since the volume V is no longer fixed in space, its motion is captured by the motion of its bounding surface S by the velocity $u_{\rm b}$. The first term is the temporal derivative (or rate of change of S), the second is the convection term representing the convective transport by the prescribed velocity field. The third term is a diffusion term representing the gradient transport and finally, the fourth term is the source/sink term for non-transport effects, which means local production and destruction of ϕ .

1.2. Continuity equation

$$\frac{\mathrm{d}\rho}{\mathrm{d}t} + \nabla \cdot (\rho u) = 0,$$

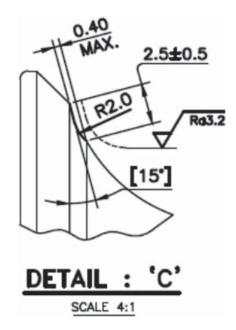


Figure 3. Scaled view of section 'C'.

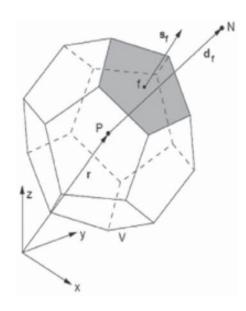


Figure 4. A polyhedral cell with fvm notations.

governs the conservation of mass, which means that the rate of change of mass in an arbitrary control volume must be equal to the total mass flow over the control volume boundaries.

1.3. Momentum equation

$$\frac{\partial \rho u}{\partial t} + \nabla \cdot (\rho u u) = \rho g + \nabla \cdot \sigma,$$

governs the conservation of linear and angular momentum. According to Newton's second law, the rate of change of momentum on a fluid particle equals the sum of forces acting on that particle.



1.4. Energy equation

$$\frac{\partial \rho h}{\partial t} + \nabla \cdot (\rho u h) - \nabla \cdot [(\alpha + \alpha_t) \nabla h] = Q + \frac{Dp}{dt},$$

governs the conservation of energy, where p is the density, u is the fluid flow vector, g is the body force, σ is the stress tensor, his the enthalpy, α is the thermal diffusivity for enthalpy, α_t is the turbulent thermal diffusivity, Q is the energy source term, and p is the fluid pressure.

This equation is based on the first law of thermodynamics that says that the rate of change of total energy of a fluid element, i.e. the sum of all energy forms (internal, kinetic, mechanical, chemical, etc.) must equal the net rate of heat and work flow over its boundaries.

Unstructured FVM discretizes the computational space by splitting it into a finite number of convex polyhedral cells bounded by convex polygons which do not overlap and completely cover the solution domain (Lucchini et al. 2007; Lucchini et al. 2007). The temporal dimension is split into a finite number of time-steps and the equations are solved in a time-marching manner. A sample cell as shown in Figure 4 around the computational point, P located in its centroid, a face f, its area vector S_f and the neighbouring computational point N are shown. Secondorder FV discretization transforms the surface integrals into sums of face integrals and approximates them to second order using the mid-point rule (Jasak 1996; Jasak and Tukovic 2006).

$$\begin{split} &\frac{(\rho_{P}\varphi_{P}V_{p})^{n}-(\rho_{P}\varphi_{P}V_{P})^{0}}{\Delta t}+\sum_{f}\rho_{f}(F-F_{S})\varphi_{f}\\ &=-\sum_{f}S_{f}.\rho q_{\varphi}+S_{\varphi}V_{P}, \end{split}$$

where the subscript P represents the cell values, f the face values and superscripts n and o the 'new' and 'old' time level, VP is the cell volume, $F = S_f - u_f$ is the fluid flux and F_s is the mesh motion flux. The fluid flux F is usually obtained as a part of the solution algorithm and satisfies the conservation requirements (Stralin 2007).

1.5. Pre-Processing

For this study, the T-type scooping valve along with the combustion chamber has been modelled with CATIA as shown in Figure 5.

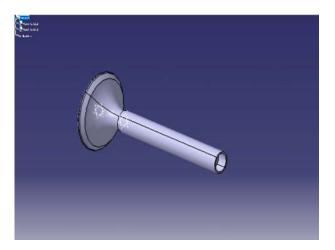


Figure 5. CATIA model of scooping valve.



Figure 6. Meshed model of Scooping valve.

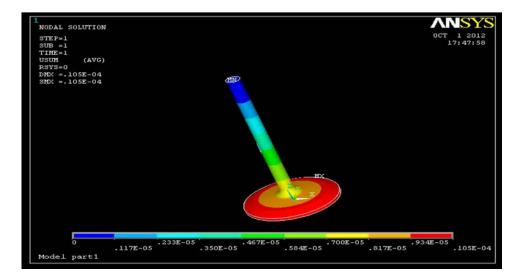


Figure 7. Post-processed result of coupled field analysis.

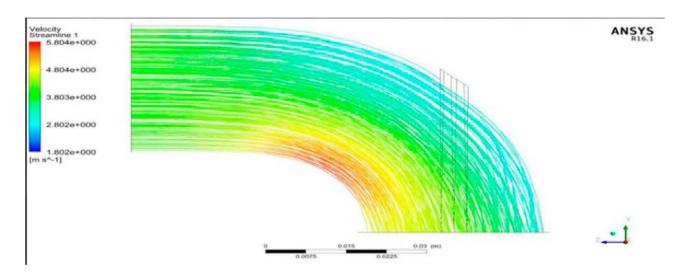


Figure 8. Air flow velocity of modify engine.

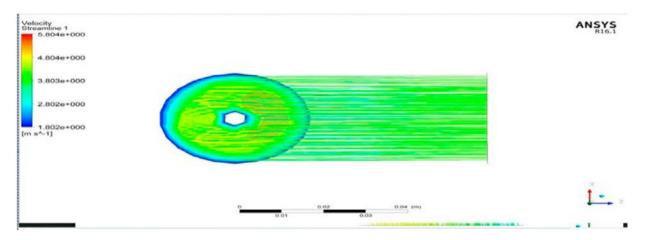


Figure 9. Air flow on engine top head on output valve.



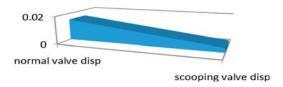


Figure 10. Comparison chart on valve displacement.

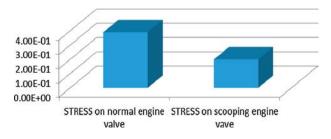


Figure 11. Comparison chart on structural stress.

1.6. Meshing

The meshed model of the above model is shown below in Figure 6.

1.7. Meshing detail

Mesh type: tetrahedral

Moving mesh: boundary velocity 120 m/s

Mesh quality check: Aspect ratio: 0.5 Density: 5

> Warpage angle: 0.2 Skew angle: 0.4

1.8. Analysis and post-processing

The meshed scooping valve model is then analyzed with ANSYS 10.0 as shown in Figure 7, with the following boundary conditions:

Inlet pressure: 4 MN/m²

Physical and material properties:

One end fixed

One end load applied

Young's modulus and Poisson ratio as per Medium carbon steel Grade EN-32 data (Figures 7–9).

2. Result and discussions

From the above plot in Figure 10, it can be observed that the scooping engine valve displacement shows 0.0002 mm compared normal engine valve displacement 0.015 mm.

From the above plot Figure 11, it can be observed that the stress on normal engine valve $0.04 \, \text{N/mm}^2$ and scooping engine valve $0.02 \, \text{N/mm}^2$.

From the above plot Figure 12, it can be observed that the thermal stress of scooping engine valve 0.25 N/mm² compared to normal engine valve of 0.6 N/mm².

From the following comparison chart Figure 13, it can be observed that the air flow velocity of scooping engine valve is

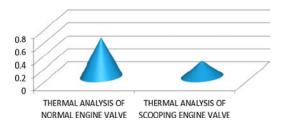


Figure 12. Comparison chart on thermal stress.

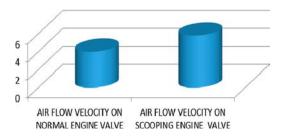


Figure 13. Comparison chart on air flow velocity at inlet.

found to be 4.2 m/s compared to that of 6.2 m/s in the normal valve.

3. Conclusion

- Throughout this study, it has been noticed that even though the profile of the valve being different from the conventional ones, there has been no major depreciation of performance characteristics.
- Thanks to the scooping in the valve, the volumetric efficiency shows marginal increase which contributes to the reduction in No_x emissions.
- Air flow velocity also has been shown an increase which is expected to be the effect of change in area cross-section across the flow.
- This in turn adds turbulence during suction and hence, increased mechanical efficiency and power output.

Disclosure statement

No potential conflict of interest was reported by the authors.

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